

# Real-Time Systems (SS 2014)

## Exercise 1: Concept of Real-Time Systems and Static-Priority Scheduling

Discussion Date: 30, April 2014

### Exercise 1.1

What are the main differences between general purpose computing and real-time computing? List some applications for different levels of supports of real-time systems.

### Exercise 1.2

For real-time systems, it is important to know the maximum (worst-case) execution time of each task a priori. What are the definition and difference between the worst-case execution time and the worst-case response time? Even if the worst-case execution time of a task is given, there are several other problems that may be encountered during the design of a scheduling algorithm for a real-time system. Can you think of some difficulties? What are possible solutions?

### Exercise 1.3

Suppose that the following set of jobs is given:

	$J_1$	$J_2$	$J_3$	$J_4$	$J_5$
$a_j$	0	2	8	10	15
$C_j$	4	3	6	3	4
$d_j$	6	8	20	14	22

- What is the resulting schedule of the shortest-job-first (SJF) scheduling policy?
- What is the resulting schedule of the earliest-deadline-first (EDF) scheduling policy?
- What is the average response time of SJF and EDF, respectively?
- Mr. S claims that SJF is optimal for his system, and Miss E claims that EDF is optimal for her system. Is it possible that both of them are correct? Please make their descriptions more clear.

**Exercise 1.4**

Suppose that we are given the following 3 sporadic real-time tasks with implicit deadlines.

	$\tau_1$	$\tau_2$	$\tau_3$
$C_i$	1	2	3
$T_i$	4	6	10

- (a) What are their priority levels? Is the rate-monotonic (RM) schedule feasible?
- (b) What happens if we change the minimum inter-arrival time of task  $\tau_3$  from 10 to 8.

**Exercise 1.5**

Explain how to use the time-demand schedulability test to prove that rate-monotonic scheduling is an optimal static-priority scheduling policy (with respect to schedulability).

**Challenge 1.6**

Mr. Smart suggests the following schedulability test of static-priority scheduling for sporadic real-time tasks, as defined in the course. He claims that task  $\tau_i$  can meet its its relative deadline under the static-priority scheduling if and only if the following mixed-integer linear programming has a solution.

$$C_i + \sum_{j=1}^{i-1} n_j \cdot C_j \leq t \tag{1}$$

$$n_j \cdot T_j \geq t \quad \forall j = 1, 2, \dots, i-1 \tag{2}$$

$$n_j \in \mathbf{N} \quad \forall j = 1, 2, \dots, i-1 \tag{3}$$

$$0 < t \leq D_i, \tag{4}$$

where  $t$  is a positive variable, described in (4), and  $n_j$  is a positive integer number, described in (3). Please either explain/prove or disprove his argument.